

## HW 2.2(a) Key

1. Deposits of 100 are placed into a fund at the beginning of each year for 12 years. The effective annual interest rate is 9%. Calculate the present value of the series of payments.

**A)** 780.52    B) 651.63    C) 716.07    D) 844.97    E) 909.41

$$\begin{aligned}
 100 \ddot{a}_{\overline{12}|9\%} &= 100 (1.09) a_{\overline{12}|9\%} \\
 &= 109 \frac{1 - (1.09)^{-12}}{0.09} \\
 &= \boxed{780.52}
 \end{aligned}$$

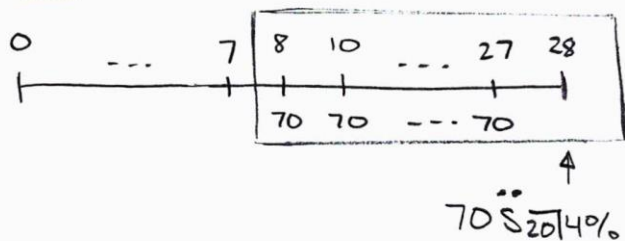
2. Deposits of 30 are placed into a fund at the beginning of each year for 10 years. The effective annual interest rate is 10%. Calculate the accumulated value of the series of payments at the end of the 10th year.

**A)** 525.94    B) 430.31    C) 478.12    D) 573.75    E) 621.56

$$\begin{aligned}
 30 \ddot{s}_{\overline{10}|10\%} &= 30 (1.10) s_{\overline{10}|10\%} \\
 &= 33 \frac{(1.10)^{10} - 1}{0.10} = \boxed{525.94}
 \end{aligned}$$

3. Deposits of 70 are placed into a fund at the beginning of each year with the first deposit occurring at  $t = 8$ . The effective annual interest rate is 4%. Calculate the accumulated value of the series of payments at the end of the 28th year.

**A)** 2,167.84    B) 1,917.71    C) 2,001.09    D) 2,084.47    E) 2,251.22



$$\begin{aligned}
 70 \ddot{s}_{\overline{20}|4\%} &= 70 (1.04) s_{\overline{20}|4\%} \\
 &= 72.8 \frac{(1.04)^{20} - 1}{0.04} \\
 &= \boxed{2167.84}
 \end{aligned}$$

4. Deposits of 80 are placed into a fund at the beginning of each year for  $T$  years. At an effective annual interest rate is 4%, the present value of the series of payments is 1053.25. Find  $T$ .

☒ A) 18    B) 19    C) 20    D) 17    E) 16

$$80 \ddot{a}_{\overline{T}|4\%} = 80(1.04) a_{\overline{T}|4\%}$$
$$= 83.2 a_{\overline{T}|4\%} = 1053.25$$

↓ (BA II)

$$\boxed{T = 18}$$

5. Deposits of  $P$  are placed into a fund at the beginning of each year for 14 years. At an effective annual interest rate is 4%, the present value of the series of payments is 943.01. Find  $P$ .

☒ A) 85.84    B) 82.41    C) 89.27    D) 92.71    E) 96.14

$$P \ddot{a}_{\overline{14}|4\%} = 943.01$$

$$P(1.04) \frac{1 - (1.04)^{-14}}{0.04} = 943.01$$

$$P(10.9856) = 943.01$$

$$P = \boxed{85.84}$$